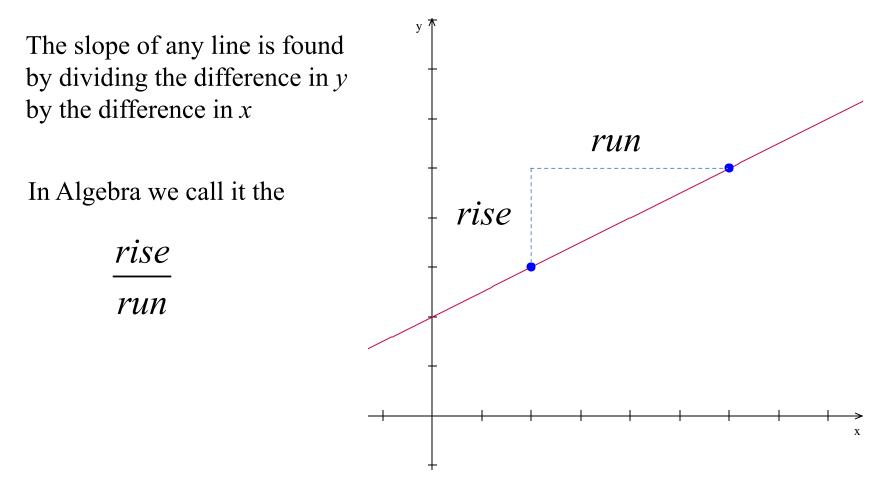
## Slope of a Line

Postulate 1-1-1 on Page 7 says

Through two points you can only draw one line

Each line has it's own *slope* which is a real number that describes its steepness



Postulate 1-1-1 on Page 7 says

Through two points you can only draw one line

So here are two points: (-1,0) (0,1)

The sl

The slope *m* is defined as 
$$m = \frac{y_2 - y_1}{x_2 - x_1} = \frac{rise}{run}$$
  
 $(x_1, y_1)$  and  $(x_2, y_2)$   
can be *any* two points on the line  
 $m = \frac{1 - 0}{0 - (-1)} = 1$   
So the slope of this line is 1

Postulate 1-1-1 on Page 7 says

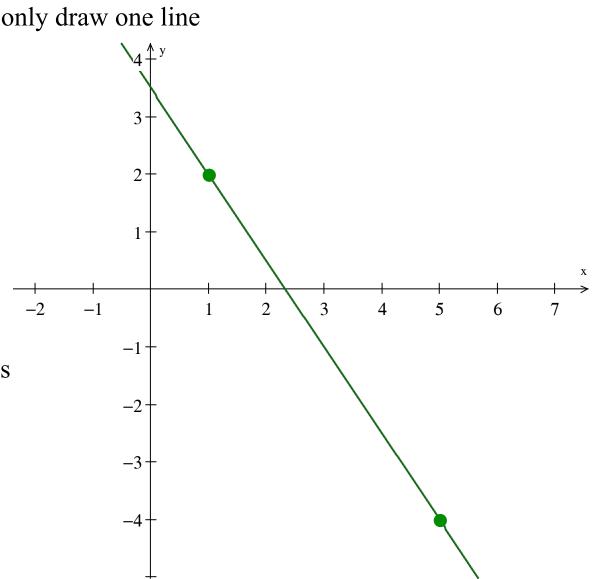
Through two points you can only draw one line

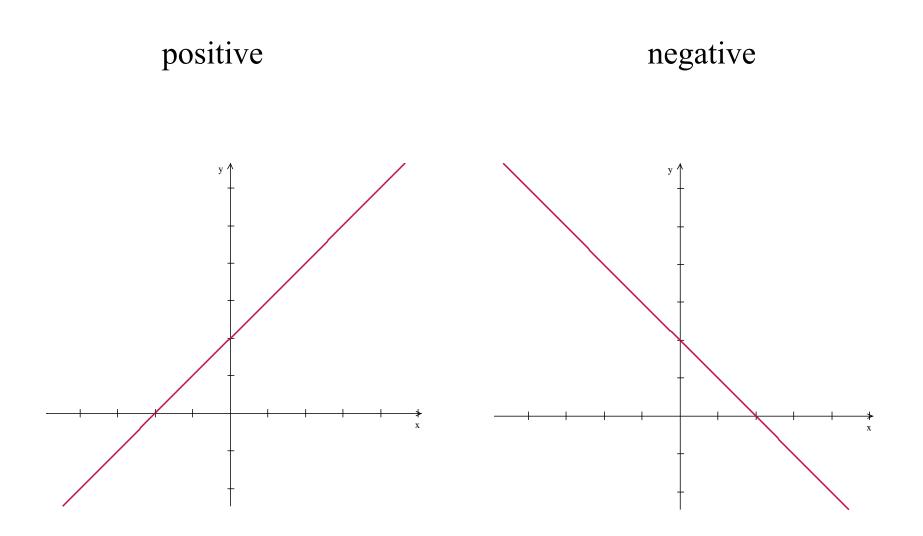
So here are two points:

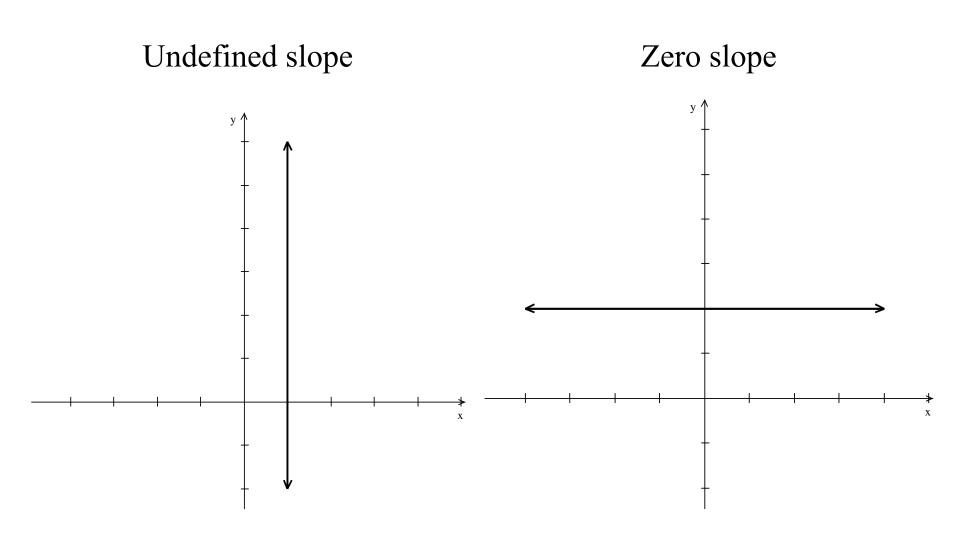
(1, 2) and (5, -4).  $m = \frac{2+4}{1-5} = -\frac{3}{2}$ 

Notice that here the slope is

negative



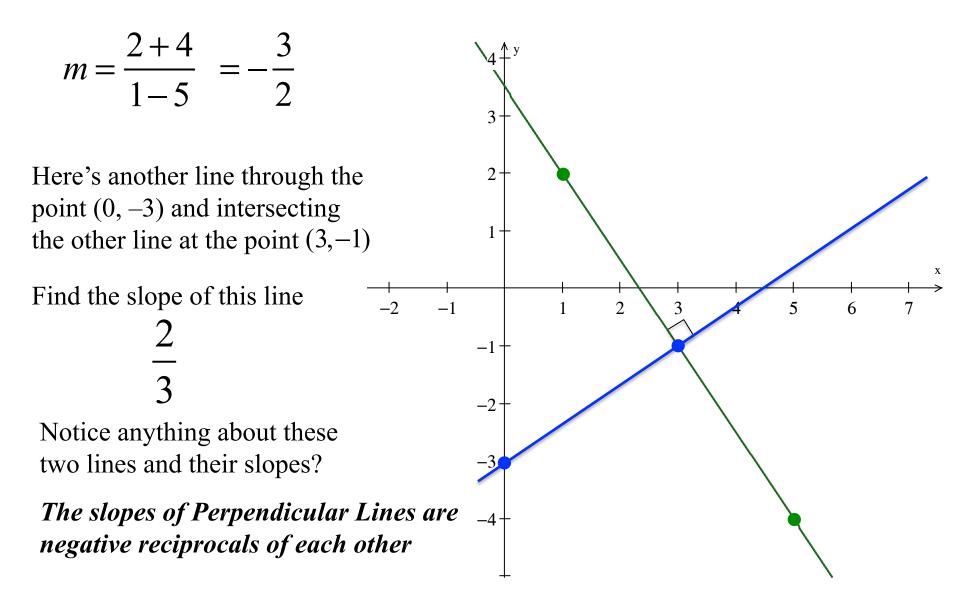




Find the slope of a line that passes through the points (1, 2) and (5, -4).

$$m = \frac{2+4}{1-5} = -\frac{3}{2}$$
Here's another line through  
the points (1, 0) and (3, -3)  
Find the slope of this line  
$$\frac{-3-0}{3-1} = -\frac{3}{2}$$
Notice anything about these  
two lines?  
Parallel Lines have the same slope -4

Write an equation (any form) of a line that passes through the points (1, 2) and (5, -4).



## <u>Parallel Lines Theorem</u>

In a coordinate plane, two nonvertical lines are parallel *iff* they have the same slope Perpendicular Lines Theorem

In a coordinate plane, two nonvertical lines are perpendicular *iff* the product of their slopes is -1

Vertical and horizontal lines are perpendicular

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Wait. What does *iff* mean? *If and only if* 

## So this also means that

In a coordinate plane, if two non-vertical lines are parallel then they have the same slope

In a coordinate plane, if two non-vertical lines have the same slope then they are parallel In a coordinate plane, if two nonvertical lines are perpendicular then the product of their slopes is -1

In a coordinate plane, if the product of the slopes of two non-vertical lines is -1 then the lines are perpendicular