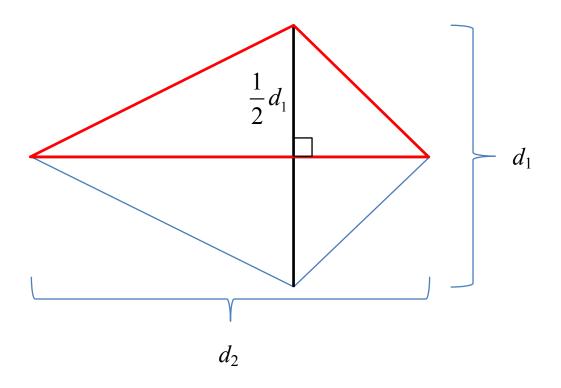
Area Formulas

Find the area of this kite



Note that the upper half is a triangle with base is d_2 and height $\frac{1}{2}d_1$

The area of this upper triangle is
$$A = \frac{1}{2}bh = \frac{1}{2}d_2\left(\frac{1}{2}d_1\right) = \frac{1}{4}d_2d_1$$

The area of the kite is just twice the area of the triangle so $A_{kite} = \frac{1}{2}d_1d_2$

a

b

Is congruent to this right triangle

A = ab

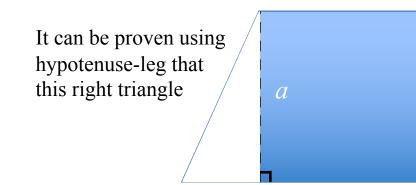
We know the area of a rectangle

What about a parallelogram?

Once we establish the height of the triangle, the area of this parallelogram is

b

A = ab





$$A = ab$$

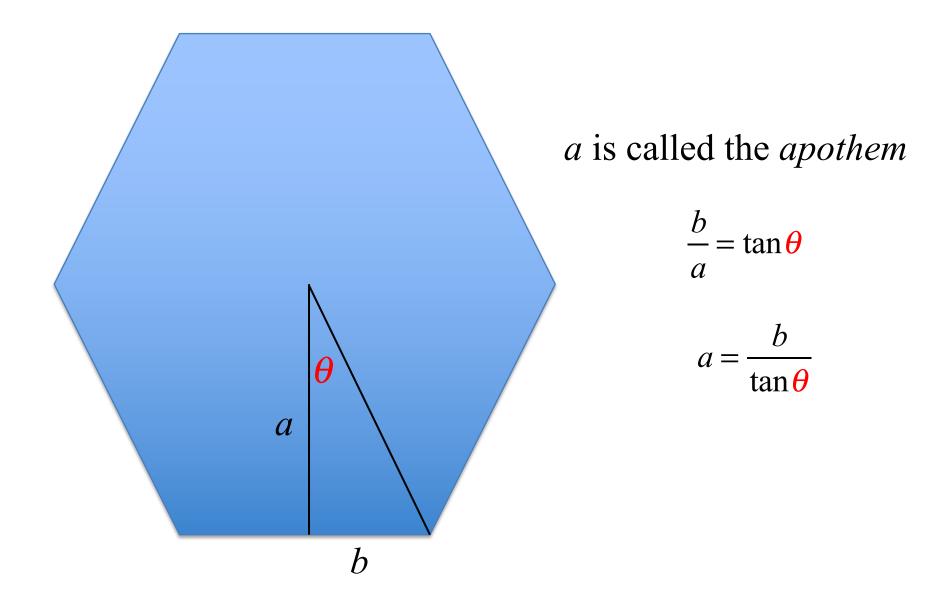
We know the area of a rectangle

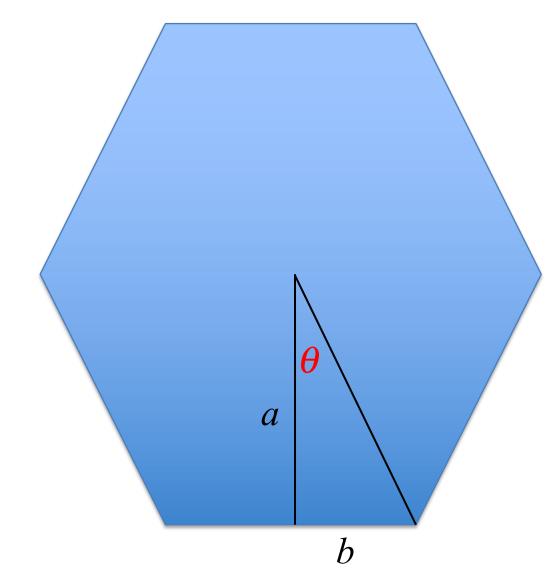
What about a parallelogram?

Once we establish the height of the triangle, the area of this parallelogram is

A = ab

The trick would be finding the length of *a* since the diagonal *c* would be different

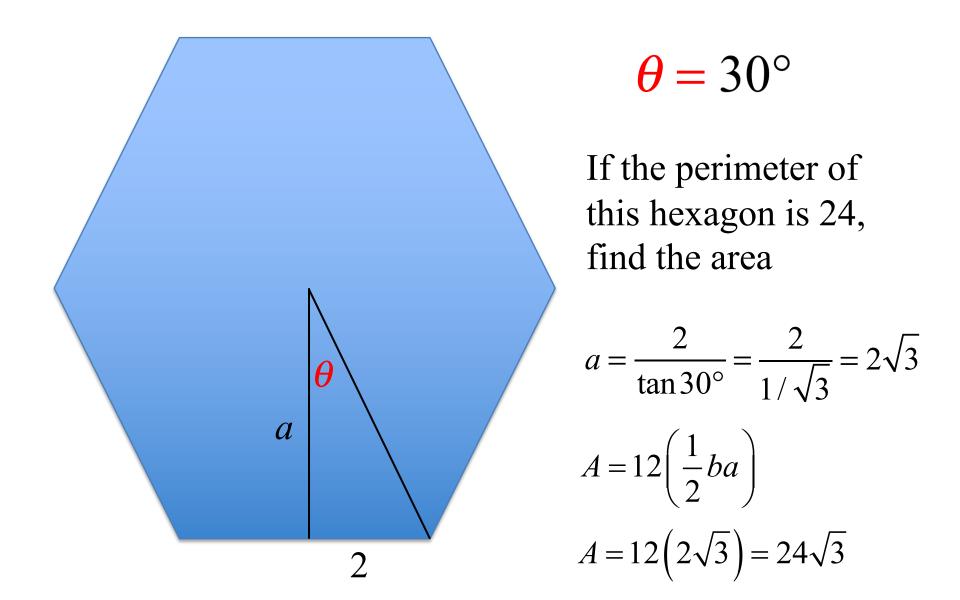


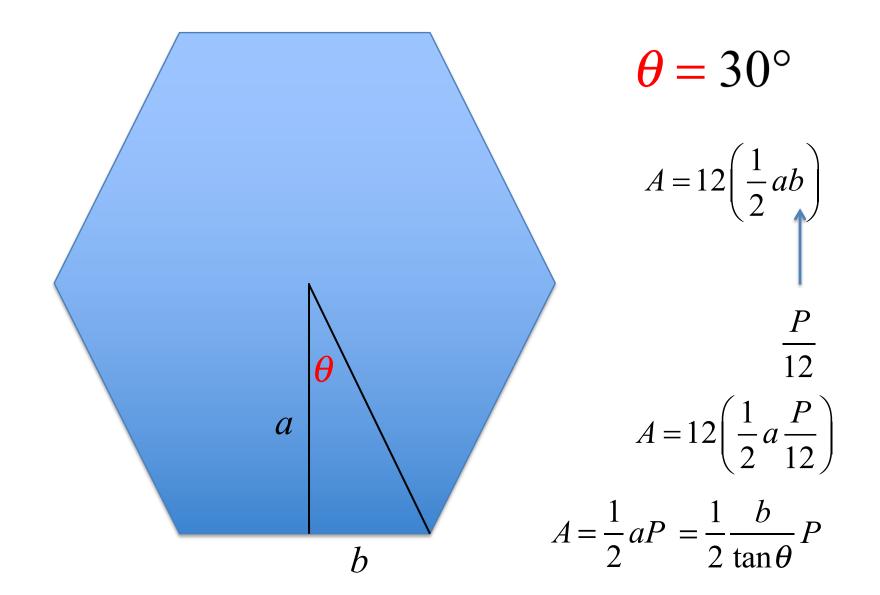


 $\theta = 30^{\circ}$

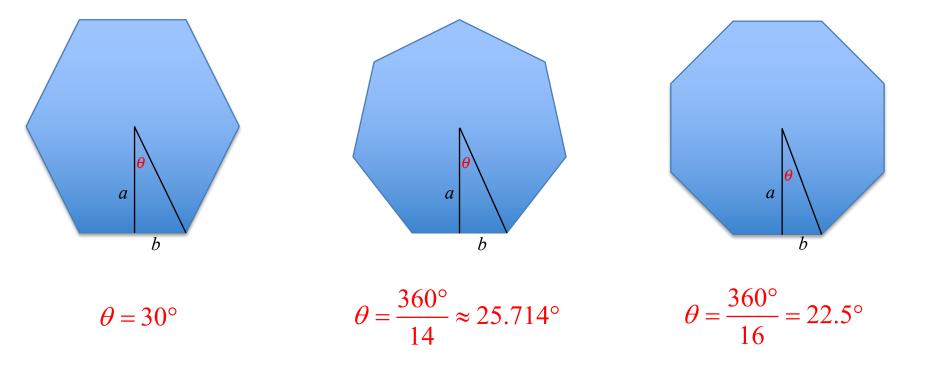
Why?

It would take 12 of these right triangles to fill the entire hexagon and since the central angles add up to 360°...



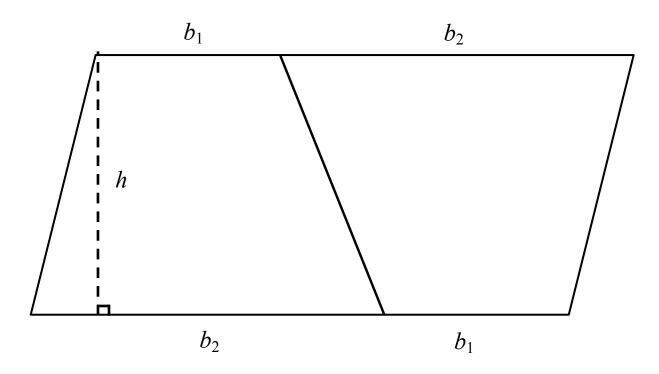


Important to remember when finding the area of any regular polygon



How would we find the area of this trapezoid?

If we attach an inverted identical trapezoid we get a parallelogram



 $A = h(b_1 + b_2)$ Since the trapezoid is half of this parallelogram

$$A_{trap} = \frac{1}{2}h(b_1 + b_2)$$